

Organizing and Debugging MATLAB Programs

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- Rationale
- Programming Style
- Why and How of Modular Code
- Top down program design
- Basic Debugging

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Rationale

Organized programs are. . .

- easier to maintain
- easier to debug
- not much harder to write

Debugging. . .

- is inevitable
- can be anticipated with good program design
- can be done interactively with MATLAB 5.x

Programming Style (1)

A consistent programming style gives your programs a visual familiarity that helps the reader quickly comprehend the intention of the code.

A programming style consists of

- Visual appearance of the code
- Conventions used for variable names
- Documentation with comment statements

Programming Style (2)

Use visual layout to suggest organization

- Indent `if...end` and `for...end` blocks
- Blank lines separate major blocks of code

Example: *Indent code for conditional structures and loops*

```
if condition 1 is true
    Block 1
elseif condition 2 is true
    Block 2
end

for i=1:length(x)
    Body of loop
end
```

Programming Style (3)

Use meaningful variable names

```
d = 5;           d_in = 5;
t = 0.02;       thick = 0.02;
r = d/2;        r_in = d_in/2;
r2 = r + t;     r_out = r_in + thick;
```

Follow Programming and Mathematical Conventions

Variable names	Typical usage
i, j, k	Array subscripts, loop counters
i, j	$\sqrt{-1}$ with complex arithmetic
m, n	End of a sequence, $i = 1, \dots, n$, number of rows (m) and columns (n) in a matrix
A, B	generic matrix
x, y, z	generic vectors

Note: Consistency is more important than convention.

Programming Style (4)

Note: I prefer to avoid use of lower case "L" as a variable name. It looks a lot like the number "1". Which of the following statements assigns the value "1" to the lower case version of the variable "L"?

```
l = 1;           (or)       1 = l;
```

Programming Style (5)

Document code with comment statements

- Write comments as you write code, not after
- Include a prologue that supports "help"
- Assume that the code is going to be used more than once
- Comments should be short notes that augment the meaning of the program statements: Do not parrot the code.
- Comments alone do not create good code.
 - ▷ You cannot fix a bug by changing the comments

Example: *Comments at beginning of a block*

```
% --- Evaluate curve fit and plot it along with original data
tfit = linspace(min(t),max(t));
pfit = polyval(c,tfit);
plot(t,p,'o',tfit,pfit,'--');
xlabel('Temperature (C)'); ylabel('Pressure (MPa)');
legend('Data','Polynomial Curve Fit');
```

Example: *Short comments at side of statements*

```
cp = 2050; % specific heat of solid and liquid paraffin (J/kg/K)
rho = 810; % density of liquid or solid paraffin (kg/m^3)
k = 0.23; % thermal conductivity, (W/m/C)
L = 251e3; % latent heat (J/kg)
Tm = 65.4; % melting temperature (C)
```

- First line of a function is the definition
- Second line must be a comment statement
- All text from the second line up to the first non-comment is printed in response to `help functionName`

Prologue Used in the NMM Toolbox

Summary: One line description of what the function does.

Synopsis: Lists the various ways in which the function can be called.

Input: Describes each input variable.

Output: Describes each output variable.

Function Prologue

```
function rho = H2Odensity(T,units)
% H2Odensity Density of saturated liquid water
% Synopsis: rho = H2Odensity(T)
%           rho = H2Odensity(T,units)
% Input: T = (optional) temperature at which density is evaluated
%        units = (optional) units for input temperature, default = 'C'
%           units = 'C' for Celsius, units = 'F' for Fahrenheit
% Output: rho = density, kg/m^3 if units = 'C', or lbm/ft^3 if units = 'F'
% Notes: (Appendix B) of 'Fundamentals of Fluid Mechanics',
%        B.R. Munson, et al., 2nd edition, 1994, Wiley and Sons, NY
```

Annotations in the diagram:

- First line of the file must be the function definition.
- First line of the prologue is terse but complete description of the function.
- T and units are optional input variables as indicated by the synopsis.
- No blank lines between function definition and first comment statement in the prologue.
- This comment will not be printed when the user types "help H2Odensity" because it is separated from the prologue by a blank line.

A module should be dedicated to *one* task

- Flexibility is provided by input/output parameters

General purpose modules need . . .

- Description of input/output parameters
- Meaningful error messages so that user understands the problem

Reuse modules

- Debug once, use again
- Minimize duplication of code
- Any improvements are available to all programs using that module
- Error messages must be meaningful so that user of general purpose routine understands the problem

Organization takes experience

- Goal is *not* to maximize the number of m-files
- Organization will evolve on complex projects

Example: Built-in Bessel functions (1)

The Bessel functions are solutions to

$$z^2 \frac{d^2 y}{dz^2} + z \frac{dy}{dz} - (z^2 + \nu^2)y = 0$$

The Bessel function of the first kind is

$$J_\nu(z) = \left(\frac{z}{2}\right)^\nu \sum_{k=0}^{\infty} \frac{\left(\frac{z^2}{4}\right)^k}{k! \Gamma(\nu + k + 1)}$$

where ν is a real number, z is complex, $i = \sqrt{-1}$ and

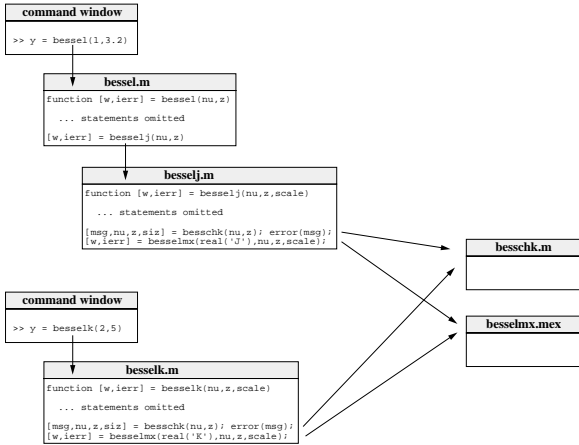
$$\Gamma(z) = \int_0^{\infty} e^{-t} t^{z-1} dt$$

Other Bessel functions (which are also solutions to the ODE) are defined in terms of $J_\nu(z)$.

Example: Built-in Bessel functions (2)

Rather than repeat the code that computes $J_\nu(z)$ and $\Gamma(z)$, these fundamental functions are part of a core routine that gets evaluated via an interface function.

```
>> lookfor bessel
BESSCHK Check arguments to bessel functions.
BESSEL Bessel functions of various kinds.
BESSELA Obsolete Bessel function.
BESSELH Bessel function of the third kind (Hankel function).
BESSELI Modified Bessel function of the first kind.
BESSELJ Bessel function of the first kind.
BESSELK Modified Bessel function of the second kind.
BESSELY Bessel function of the second kind.
BESSLDEM Driver function for Bessel zero finding.
BESSLODE Bessel's equation of order 0 used by BESSLDEM.
```



- Do not assume the input is correct. Check it.
- Provide a “catch” or default condition for a `if...elseif...else...` construct
- Include optional (verbose) print statements that can be switched on when trouble occurs
- Provide diagnostic error messages.

Example: H2Odensity.m

```

1 function rho = H2Odensity(T,units)
2 % H2Odensity Density of saturated liquid water
3 %
4 % Synopsis: rho = H2Odensity
5 %           rho = H2Odensity(T)
6 %           rho = H2Odensity(T,units)
7 %
8 % Input:  T    = (optional) temperature at which density is evaluated
9 %         Default: T = 20C. If units='F', then T is degrees F
10 %        units = (optional) units for input temperature, Default = 'C'
11 %           units = 'C' for Celsius, units = 'F' for Fahrenheit
12 %
13 % Output: rho = density, kg/m^3 if units = 'C', or lbm/ft^3 if units = 'F'
14
15 % Notes: Use 4th order polynomial curve fit of data in Table B.2
16 %        (Appendix B) of "Fundamentals of Fluid Mechanics",
17 %        B. R. Munson, et al., 2nd edition, 1994, Wiley and Sons, NY
18
19 if nargin<1
20     rho = 998.2; return; % Density at 20 C w/out evaluating curve fit
21 elseif nargin==1
22     units='C'; % Default units are C
23 end
24
25 % --- Convert to degrees C if necessary
26 if upper(units)=='F'
27     Tin = (T-32)*5/9; % Convert F to C; don't change input variable
28 elseif upper(units) == 'C'
29     Tin = T;
30 else
31     error(sprintf('units = ''%s'' not allowed in H2Odensity',units));
32 end
33
34 % --- Make sure temperature is within range of curve fit

```

```

35 if Tin<0 | Tin>100
36     error(sprintf('T = %f (C) is out of range for density curve fits',Tin));
37 end
38
39 % --- Curve fit coefficients
40 c = [ 1.543908249780381441e-05 -5.878005395030049852e-03 ...
41      1.788447211945859774e-02 1.000009926781338436e+03];
42
43 rho = polyval(c,Tin); % Evaluate polynomial curve fit
44 if upper(units)=='F'
45     rho = rho*6.243e-2; % Convert kg/m^3 to lbm/ft^3
46 end

```

- Use defensive programming
- Break large programming projects into modules
 - ▷ Develop reusable tests for key modules
 - ▷ Good test problems have known answers
 - ▷ Run the tests after changes are made to the module
- Include diagnostic calculations in a module
 - ▷ Enclose diagnostics inside `if...end` blocks so that they can be turned off.
 - ▷ Provide extra print statements that can also be turned on and off

- MATLAB version 5 (and later) has an *interactive* debugger
- The `type` and `dbtype` commands are used to list contents of an m-file.
- The `error` function prints a message to the screen, and stops execution. This provides for graceful failure, and the opportunity to inform the reader of potential causes for the error.
- The `warning` function prints a message to the screen, but does not stop execution.
- `pause` or `keyboard` commands can be used to temporarily halt execution.

Use of keyboard command

```
function r = quadroot(a,b,c)
% quadroot  Roots of quadratic equation and demo of keyboard command
%
% Synopsis:  r = quadroot(a,b,c)
%
% Input:    a,b,c = coefficients of  a*x^2 + b*x + c = 0
%
% Output:   r = column vector containing the real or complex roots

% See Chapter 4, Unavoidable Errors in Computing, for a discussion
% of the formula for r(1) and r(2)
d = b^2 - 4*a*c;
if d<0
    fprintf('Warning in function QUADROOT:\n');
    fprintf('\tNegative discriminant\n\tType "return" to continue\n');
    keyboard;
end
q = -0.5*( b + sign(b)*sqrt(b^2 - 4*a*c) );
r = [q/a; c/q]; % store roots in a column vector
```