

Review

Given: Radial load $\bar{F}_R$

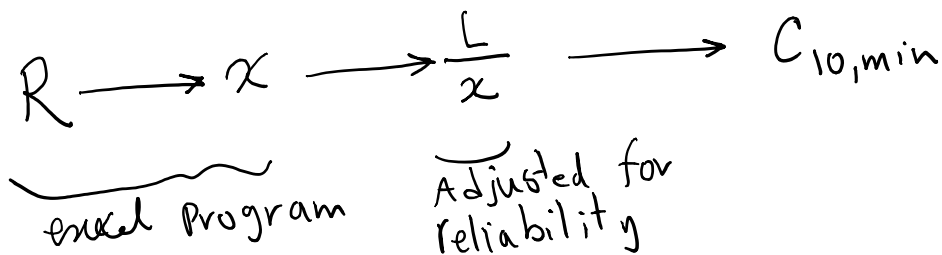
Life L

Reliability R

Find $C_{10,min}$ (minimum Capacity)

$C_{10,sel}$ (Selected bearing)

[FORWARD PROBLEM]



$$C_{10,min} = K_a \bar{F}_R \left(\frac{L/x}{L_{cat}} \right)^{0.333} \quad \leftarrow \text{Ball bearing}$$

Example

$$\bar{F}_R = 150$$

$$K_a = 1.4$$

$$L = 50 \text{ million}$$

$$R = 95\%$$

Find: Suitable bearing

$$C_{10,min} = (1.4)(150 * 4.45) \left(\frac{50}{0.62} \right)^{0.333}$$

where from $\overbrace{\text{Excel Program}}^{\text{Newtons}}$ for $\overbrace{\text{Reliability}}^{L_{\text{new}}}$
 $\alpha = 0.62$

$$\frac{50}{0.62} = 80.6 \text{ million}$$

$$C_{10, \min} = 4031^{\text{N}} \approx 4 \text{ KN}$$

From Table for Series II deep groove ball bearing

$$C_{10, \text{sel}} = 5.07 \text{ KN}$$

Bore Size = 10 mm

The designer approach to bearing selection

Given : A bearing ($C_{10, \text{sel}}$)

$$R \geq R_{\min}$$

Find : Does it meet the rel. req. ?

$$C_{10, \text{sel}} = K_a \sqrt{F_R} \left(\frac{\sqrt{L/x}}{\sqrt{L_{\text{cat}}}} \right)^{0.333}$$

$$\Rightarrow \text{Find } \alpha \Rightarrow R$$

Example

Given : 10-mm bore bearing

$$C_{10, \text{sd}} = 5.2 \text{ KN}$$

$$L = 50 \text{ millim}$$

$$F_R = 150 \text{ lbs}$$

$$K_a = 1.4$$

Find: Does the bearing meet a 97% reliability

$$C_{10, \text{sd}} = K_a F_R \left(\frac{L}{\alpha} \right)^{0.333}$$

$$5200 = 1.4 (150 \cdot 4.45) \left(\frac{50}{\alpha} \right)^{0.333}$$

$$\left(\frac{50}{\alpha} \right)^{0.333} = 5.56$$

$$\Rightarrow \alpha = 0.29 \xRightarrow{\text{Excel}} R = 98\% \text{ to } 99\%$$

Answer: Adequate bearing

Adding Thrust load to ball bearings

Example

Given:

$$F_R = 150 \text{ lbs}$$

$$F_a = 75 \text{ lbs}$$

$$K_a = 1.4$$

$$L = 175 \text{ million}$$

$$R = 96 \%$$

Find:

Suitable bearing ($C_{10, \text{sel}}$)

Deep groove Series II ball bearing

Step-1: Select a Trial bearing size

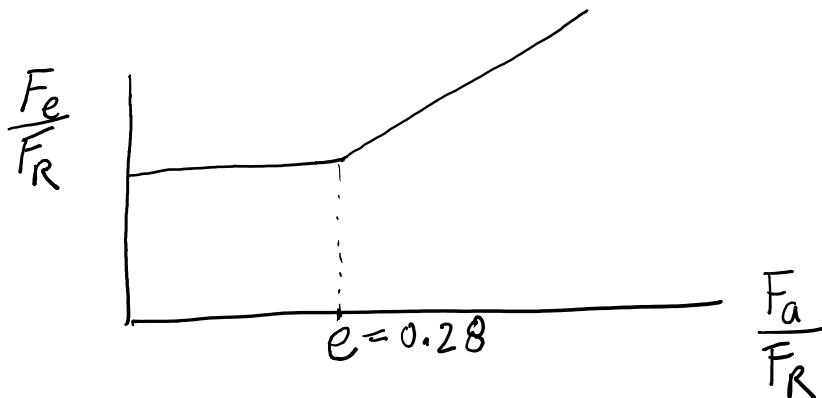
Trial: 15^{mm} bore size

$$C_{10, \text{sel}} = 7.8 \text{ KN} \quad C_0 = 3.55 \text{ KN}$$

Check only if
Bearing supports
a load while
stationary
(static capacity)

i) Find $\frac{F_a}{C_0}$

$$\frac{F_a}{C_0} = \frac{75 (4.45)}{3550} = 0.094$$



From Table 11-1 we find

for $\frac{F_a}{F_R} = 0.094$ we find

e to be 0.28

$$\text{Since } \frac{F_a}{F_R} = \frac{75}{150} = 0.5 > e = 0.28$$

$\Rightarrow$ yes we must incorporate the influence of axial load

$$F_e = X_i F_R + Y_i F_a$$

$$F_e = 0.56 (150) + 1.55 (75)$$

$$F_e = 200.25 \text{ lbs}$$

check for adequate capacity

$$C_{10, \min} = 1.4 (200.25 * 4.45) \left(\frac{175}{0.533} \right)^{0.333}$$

where for 96% reliability $\alpha = 0.533$

$$\Rightarrow C_{10, \min} = 8500^N \text{ or } 8.5 \text{ KN}$$

$$\text{Since } C_{10, \text{sel}} = 7.8^{\text{KN}} < C_{10, \min} = 8.5^{\text{KN}}$$

we need to select a larger bearing

Next Trial $\equiv 17^{\text{mm}}$ bearing

$$C_{10, \text{sel}} = 9.56^{\text{KN}}$$

$$F_a = 0.074$$

$$e = 0.27 \quad \text{lbs}$$

$$F_e = 206.25$$

$$C_{10, \min} = 8.8 \text{ KN} < C_{10, \text{sel}} = 9.56 \text{ KN}$$

Acceptable bearing

Reliability of system of bearings

$$\begin{aligned} \text{Prob (A good AND B good)} &= \text{Reliability of the Two Combined} \\ &= \text{Prob (A good) AND Prob (B good)} \end{aligned}$$

$$\begin{aligned} \text{Prob (A and B good)} &= \text{Prob (A good)} * \text{Prob (B good)} \\ &= R(A) * R(B) \end{aligned}$$

example:

$$R_{\text{sys}} = 90\%$$

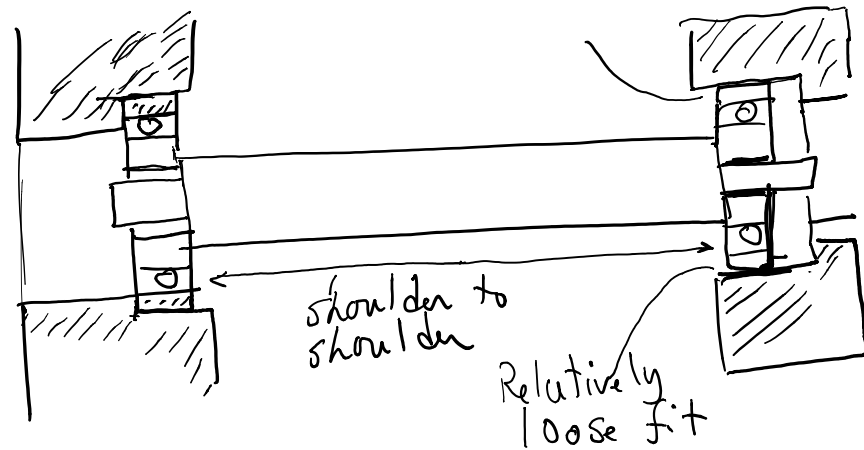
$$\text{Assume } R(A) = R(B)$$

$$R_{\text{sys}} = R(A)^2$$

$$R(A) = \sqrt{R_{\text{sys}}} = \sqrt{0.9}$$

$$R(A) \approx 95 \text{ or } 95\%$$

A Simple mounting

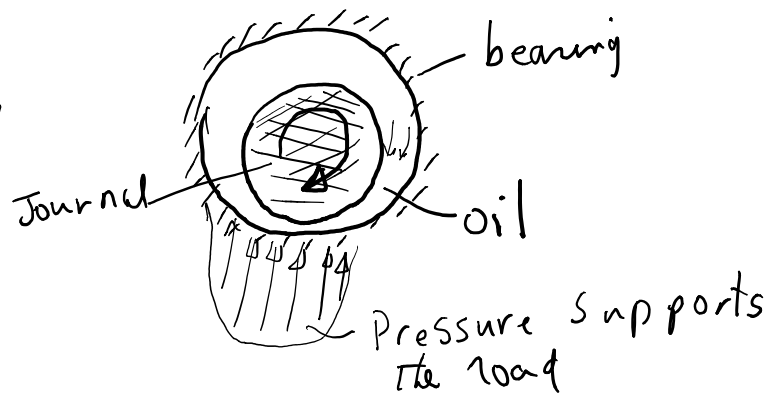


Advantages of ball/roller bearings to Journal bearings

Journal bearings

— Full film hydrodynamic lub.

Friction is very low

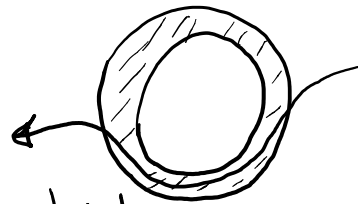


- No need for oil supply or circulation
- Lower starting friction
- More Precise motion
- Cost
- No maintenance

- Smaller axial space

Advantages of Journal bearings to ball/roller bearings

- Ability to absorb shock loads
- Run quieter
- Work better in dusty environments



- Require Smaller radial space
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Precisions

Precision index (ABEC) index

Annular Bearing
Engineering Committee
(Sub-Committee of ABMA)

ABEC-1	lowest precision	} Roller skates
-3		
-5		
-7		
-9	highest precision	(10 GB disk drive)

ABEC-1 7 Class 10^{mm} bore

ABEC-1] for a 10^{mm} bore
ABEC-3]
IT6 $\Rightarrow \pm 0.0002$ " (bore tol.)

ABEC-5
ABEC-7
IT5 $\Rightarrow \pm 0.00012$ "

ABEC-9
IT4 $\Rightarrow \pm 0.00004$ "
