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If a question is wrong, or has no acceptable answer, do not mark any choice.
If a question has several correct answers, choose the most accurate/complete/informative one.
On a separate sheet, write a detailed justification of your choice.
You will be graded on the accuracy and precision of this justification only.
You will get 1 point for each correct answer and 0 points for missing or incorrect answers.
Your grade will be written on the back of this page.

1. An event is:
[-A-] A point
[-B-] A set
[-C-] A number
[-D-] Passing this class ©
2. Flip a coin 8 times. Approximately, the probability to obtain 4 heads and 4 tails is

| [-A-] | 0.25 |
| :--- | :--- |
| [-B-] | 0.5 |
| [-C-] | 0.75 |
| [-D-] | 1 |

3. Flip a coin 8 times. What is the probability to have at least 1 head.
[-A-] 255/256
[-B-] 7!/8!
[-C-] 1 choose 8
[-D-] none of the above
4. In a game, you are randomly given an integer $n$ in the set $\{0,1,2, \ldots 9\}$.

You win (or lose if negative) the quantity $7-2 n$.
The expectation is:
[-A-] You win 2
[-B-] You break even
[-C-] You lose 2
[-D-] You lose 2.5
5. Let $S$ be the set of all strings of length 3 over the alphabet $\{a, b, c\}$. If you choose randomly an element $x$ of $S$, the probability that there is a vowel in $x$ is approximately

| $[-\mathrm{A}-]$ | $1 / 3$ |
| :--- | :--- |
| $[-\mathrm{B}-]$ | $1 / 2$ |
| $[-\mathrm{C}-]$ | $2 / 3$ |
| $[-\mathrm{D}-]$ | 1 |

6. You flip 2 coins. The first one is head. What is the probability that the other is head?
[-A-] 0
[-B-] $1 / 3$
[-C-] $1 / 2$
[-D-] $2 / 3$
7. You flip 2 coins. One coin is head. What is the probability that the other is head?
[-A-] 0
[-B-] $1 / 3$
[-C-] $1 / 2$
[-D-] $2 / 3$
8. The conditional probability of an event $E$ given $F$ is
[-A-] The probability of $E$ assuming that $F$ has occurred
[-B-] The probability that both $E$ and $F$ will occur
[-C-] The probability that either $E$ or $F$ will occur, but not both
[-D-] The probability that $E$ will occur when $F$ has not occurred
9. 40 students out of 100 like biking. 50 students out of 100 like walking. If a student likes biking, the probability that she likes walking is $20 \%$.
The probability that a student who likes walking also likes biking is approximately
[-A-] $15 \%$
[-B-] $25 \%$
[-C-] 50\%
[-D-] $60 \%$
10. A royal flush is a hand consisting of ace, king, queen, jack, and ten all in the same suit. Approximately how many distinct hands showing a royal flush are there in a standard 52 -card deck? Hint: the card order does not matter in the game of poker, but it matters for this question.
[-A-] 5
[-B-] 50
[-C-] 500
[-D-] 5000
11. A cell phone 4-key pin can be over the digits or over the digits plus the pound and star keys. How much more difficult is to guess the pin in the second case with respect to the first one.
[-A-] about twice
[-B-] about 16 times
[-C-] about 100 times
[-D-] much more than 100 times
